

3 X 5

Permanent Vacation (Aerosmith album)

ISBN 0-679-73015-X. Retrieved August 16, 2020 – via robertchristgau.com. Reynolds, Dave (1987). "Aerosmith

Permanent Vacation". Metal Forces (25). Retrieved July 5, - Permanent Vacation is the ninth studio album by American rock band Aerosmith, released by Geffen Records on August 25, 1987. The album marks the band's shift to a pop-metal sound that they would maintain up to 2001's Just Push Play.

It was their first to employ songwriters outside the band, instead of featuring songs solely composed by them. This came at the suggestion of executive John Kalodner. He also pushed the band to work with producer Bruce Fairbairn, who remained with them for another two albums. It was also the first Aerosmith album to be promoted by heavy music video airplay on MTV. Though Done with Mirrors was intended to mark Aerosmith's comeback, Permanent Vacation is often considered their true comeback, as it was the band's first truly popular album since their reunion. "Rag Doll", "Dude (Looks Like a Lady)", and "Angel" became major hits (all three charted in the Top 20) and helped Permanent Vacation become the band's biggest success in a decade.

Permanent Vacation has sold over five million copies in the U.S. In the UK, it was the first Aerosmith album to attain both Silver (60,000 units sold) and Gold (100,000 units sold) certification by the British Phonographic Industry, achieving these in July 1989 and March 1990 respectively.

Centaurus X-3

Centaurus X-3 (4U 1118–60) is an X-ray pulsar with a period of 4.84 seconds. It was the first X-ray pulsar to be discovered, and the third X-ray source

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5.56×45mm NATO

(2007). "5.56mm NATO Alternatives". *Special Weapons Magazine*. No. 50. pp. 52–59. Media related to 5.56 x 45 mm NATO at Wikimedia Commons "Brochure on 5.56mm

The 5.56×45mm NATO (official NATO nomenclature 5.56 NATO, commonly pronounced "five-five-six") is a rimless bottlenecked centerfire intermediate cartridge family developed in the late 1970s in Belgium by FN Herstal. It consists of the SS109, L110, and SS111 cartridges. On 28 October 1980, under STANAG 4172, it was standardized as the second standard service rifle cartridge for NATO forces as well as many non-NATO countries. Though they are not identical, the 5.56×45mm NATO cartridge family was derived from the .223 Remington cartridge designed by Remington Arms in the early 1960s, which has a near-identical case but fires a slightly larger 5.70 mm (.2245 in) projectile.

Leibniz formula for ?

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In mathematics, the Leibniz formula for π , named after Gottfried Wilhelm Leibniz, states that

?

4

$$=$$

1

?

1

3

 $+$

1

5

?

1

7

 $+$

1

9

?

?

$$=$$

?

k

$$=$$

0

?

(

?

1

)

k

2

k

+

1

,

$$\{\displaystyle \frac {\pi }{4}\}=1-\{\frac {1}{3}\}+\{\frac {1}{5}\}-\{\frac {1}{7}\}+\{\frac {1}{9}\}-\cdots$$
$$=\sum _{k=0}^{\infty }\{\frac {(-1)^k}{2k+1}\},\}$$

an alternating series.

It is sometimes called the Madhava–Leibniz series as it was first discovered by the Indian mathematician Madhava of Sangamagrama or his followers in the 14th–15th century (see Madhava series), and was later independently rediscovered by James Gregory in 1671 and Leibniz in 1673. The Taylor series for the inverse tangent function, often called Gregory's series, is

arctan

?

x

=

x

?

x

3

3

+

x

5

5

?

x

7

7

+

?

=

?

k

=

0

?

(

?

1

)

k

x

2

k

+

1

2

k

+

1

.

$$\{\displaystyle \arctan x=x-\{\frac {x^{\{3\}}{\{3\}}\}+\{\frac {x^{\{5\}}{\{5\}}\}}-\{\frac {x^{\{7\}}{\{7\}}\}}+\cdots =\sum _{\{k=0\}^{\{\infty \}}\{\frac {\{-1\}^{\{k\}}x^{\{2k+1\}}{\{2k+1\}}\}}.\}$$

The Leibniz formula is the special case

arctan

?

1

=

1

4

?

.

$\arctan 1 = \frac{1}{4} \pi$

It also is the Dirichlet L-series of the non-principal Dirichlet character of modulus 4 evaluated at

s

=

1

,

$s=1,$

and therefore the value $\beta(1)$ of the Dirichlet beta function.

X-Men: The Last Stand

X-Men: The Last Stand (also marketed as X3: The Last Stand, or X-Men 3) is a 2006 superhero film based on the X-Men comic books published by Marvel Entertainment

X-Men: The Last Stand (also marketed as X3: The Last Stand, or X-Men 3) is a 2006 superhero film based on the X-Men comic books published by Marvel Entertainment Group. It is the sequel to X2 (2003) and the third installment in the X-Men film series, as well as the final film of the original X-Men trilogy. It was directed by Brett Ratner and features an ensemble cast including Hugh Jackman, Halle Berry, Ian McKellen, Famke Janssen, Anna Paquin, Kelsey Grammer, James Marsden, Rebecca Romijn, Shawn Ashmore, Aaron Stanford, Vinnie Jones, and Patrick Stewart. Written by Simon Kinberg and Zak Penn, the film is loosely based on two X-Men comic book story arcs, "Gifted" and "The Dark Phoenix Saga", with a plot that revolves around a "mutant cure" that causes serious repercussions among mutants and humans, and on the resurrection of Jean Grey who unleashes a dark force.

Bryan Singer, who had directed the two previous films, X-Men and X2, decided to leave the sequel to work on Superman Returns (2006). X2 composer and editor John Ottman and X2 writers Dan Harris and Michael Dougherty also left to work on Superman Returns, as did James Marsden, who had very limited screen time in The Last Stand before his character was killed off due to his departure from the film. Singer had not even defined the storyline for a third film. Matthew Vaughn, who co-wrote the script (though uncredited) and was initially hired as the new director, left due to personal and professional issues, and was replaced with Ratner. Filming took place from August 2005 to January 2006 with a budget of \$210 million, and was consequently the most expensive film ever made at the time of its release. It had extensive visual effects created by 11 different companies.

X-Men: The Last Stand premiered in the Out of Competition section at the 2006 Cannes Film Festival, and was released theatrically in the United States on May 26 by 20th Century Fox. It grossed approximately \$459 million worldwide, becoming the seventh-highest-grossing film of 2006; it was at the time the highest-grossing film in the series and after 2018 stood as the fourth-highest-grossing film of the franchise. It

received mixed reviews from critics. A standalone sequel, *The Wolverine*, was released in 2013; it was followed by *X-Men: Days of Future Past* in 2014, which retconned the events of *The Last Stand*.

Mac OS X Server

for an unlimited-client license. Mac OS X Server version 10.5.x 'Leopard' was the last major version of Mac OS X Server to support PowerPC-based servers

Mac OS X Server is a series of discontinued Unix-like server operating systems developed by Apple Inc., based on macOS. It provided server functionality and system administration tools, and tools to manage both macOS-based computers and iOS-based devices, network services such as a mail transfer agent, AFP and SMB servers, an LDAP server, and a domain name server, as well as server applications including a Web server, database, and calendar server.

Starting with OS X Lion, Apple stopped selling a standalone server operating system, instead releasing an add-on Server app marketed as OS X Server (and later macOS Server), which was sold through the Mac App Store. The Server app lacked many features from Mac OS X Server, and later versions of the app only included functionality related to user and group management, Xsan, and mobile device management through profiles. The Server app was discontinued on April 21, 2022, and Apple said that later versions of macOS would drop support for it.

X.3

X.3 is an ITU-T standard indicating what functions are to be performed by a Packet Assembler/Disassembler (PAD) when connecting character-mode data terminal

X.3 is an ITU-T standard indicating what functions are to be performed by a Packet Assembler/Disassembler (PAD) when connecting character-mode data terminal equipment (DTE), such as a computer terminal, to a packet switched network such as an X.25 network, and specifying the parameters that control this operation.

The following is list of X.3 parameters associated with a PAD:

- 1 PAD recall using a character
- 2 Echo
- 3 Selection of data forwarding character
- 4 Selection of idle timer delay
- 5 Ancillary device control
- 6 Control of PAD service signals
- 7 Operation on receipt of break signal
- 8 Discard output
- 9 Padding after carriage return
- 10 Line folding
- 11 DTE speed
- 12 Flow control of the PAD

13 Linefeed insertion after carriage return

14 Padding after linefeed

15 Editing

16 Character delete

17 Line delete

18 Line display

19 Editing PAD service signals

20 Echo mask

21 Parity treatment

22 Page wait

Floppy disk

5¼-inch disks had been superseded by 3½-inch disks. During this time, PCs frequently came equipped with drives of both sizes. By the mid-1990s, 5¼-inch

A floppy disk or floppy diskette (casually referred to as a floppy, a diskette, or a disk) is a type of disk storage composed of a thin and flexible disk of a magnetic storage medium in a square or nearly square plastic enclosure lined with a fabric that removes dust particles from the spinning disk. Floppy disks store digital data which can be read and written when the disk is inserted into a floppy disk drive (FDD) connected to or inside a computer or other device. The four most popular (and commercially available) categories of floppy disks (and disk drives) are the 8-inch, 5¼-inch, 3½-inch and high-capacity floppy disks and drives.

The first floppy disks, invented and made by IBM in 1971, had a disk diameter of 8 inches (203.2 mm). Subsequently, the 5¼-inch (130 mm) and then the 3½-inch (90 mm) became a ubiquitous form of data storage and transfer into the first years of the 21st century. By the end of the 1980s, 5¼-inch disks had been superseded by 3½-inch disks. During this time, PCs frequently came equipped with drives of both sizes. By the mid-1990s, 5¼-inch drives had virtually disappeared, as the 3½-inch disk became the predominant floppy disk. The advantages of the 3½-inch disk were its higher capacity, its smaller physical size, and its rigid case which provided better protection from dirt and other environmental risks.

Floppy disks were so common in late 20th-century culture that many electronic and software programs continue to use save icons that look like floppy disks well into the 21st century, as a form of skeuomorphic design. While floppy disk drives still have some limited uses, especially with legacy industrial computer equipment, they have been superseded by data storage methods with much greater data storage capacity and data transfer speed, such as USB flash drives, memory cards, optical discs, and storage available through local computer networks and cloud storage.

Taylor series

function ex is ? n = 0 ? x n n ! = x 0 0 ! + x 1 1 ! + x 2 2 ! + x 3 3 ! + x 4 4 ! + x 5 5 ! + ? = 1 + x + x 2 2 + x 3 6 + x 4 24 + x 5 120 + ? .
$$f(x) = \sum_{n=0}^{\infty} \frac{f^{(n)}(a)}{n!} (x-a)^n$$

In mathematics, the Taylor series or Taylor expansion of a function is an infinite sum of terms that are expressed in terms of the function's derivatives at a single point. For most common functions, the function and the sum of its Taylor series are equal near this point. Taylor series are named after Brook Taylor, who

introduced them in 1715. A Taylor series is also called a Maclaurin series when 0 is the point where the derivatives are considered, after Colin Maclaurin, who made extensive use of this special case of Taylor series in the 18th century.

The partial sum formed by the first $n + 1$ terms of a Taylor series is a polynomial of degree n that is called the n th Taylor polynomial of the function. Taylor polynomials are approximations of a function, which become generally more accurate as n increases. Taylor's theorem gives quantitative estimates on the error introduced by the use of such approximations. If the Taylor series of a function is convergent, its sum is the limit of the infinite sequence of the Taylor polynomials. A function may differ from the sum of its Taylor series, even if its Taylor series is convergent. A function is analytic at a point x if it is equal to the sum of its Taylor series in some open interval (or open disk in the complex plane) containing x . This implies that the function is analytic at every point of the interval (or disk).

Mac OS X Leopard

Mac OS X Leopard (version 10.5) is the sixth major release of macOS, Apple's desktop and server operating system for Macintosh computers. Leopard was

Mac OS X Leopard (version 10.5) is the sixth major release of macOS, Apple's desktop and server operating system for Macintosh computers. Leopard was released on October 26, 2007, as the successor of Mac OS X Tiger, and is available in two editions: a desktop version suitable for personal computers, and a server version, Mac OS X Server. It retailed for \$129 for the desktop version and \$499 for Server. Leopard was superseded by Mac OS X Snow Leopard (version 10.6) in 2009. Mac OS X Leopard is the last version of macOS that supports the PowerPC architecture as its successor, Mac OS X Snow Leopard, functions solely on Intel based Macs.

According to Apple, Leopard contains over 300 changes and enhancements compared to its predecessor, Mac OS X Tiger, covering core operating system components as well as included applications and developer tools. Leopard introduces a significantly revised desktop, with a redesigned Dock, Stacks, a semitransparent menu bar, and an updated Finder that incorporates the Cover Flow visual navigation interface first seen in iTunes. Other notable features include support for writing 64-bit graphical user interface applications, an automated backup utility called Time Machine, support for Spotlight searches across multiple machines, and the inclusion of Front Row and Photo Booth, which were previously included with only some Mac models.

Apple missed Leopard's release time frame as originally announced by Apple's CEO Steve Jobs. When first discussed in June 2005, Jobs had stated that Apple intended to release Leopard at the end of 2006 or early 2007. A year later, this was amended to Spring 2007; however, on April 12, 2007, Apple issued a statement that its release would be delayed until October 2007 because of the development of the iPhone.

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